Experiments with non-convex particles



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Motivation

Shape matters

- Most studies deal with the simplest grain shapes: hard, monodisperse spheres. •
- Recently, the role of anisotropic grain shape has gained focus, e.g. rice grains, cylinders or lens-shaped ellipsoids. They add the aspect of orientational order.
- Also, soft, elastic grains have been introduced. These materials can exhibit fundamentally new features.
- Non-convex grains received comparably little attention so far. U-shaped particles, flat crosses and even spherical crosses introduce novel features, like catching or entanglement. They may also cause unexpected dynamic effects.
- We present experimental results of packing and shear experiments with cross-• shaped particles.

Split-bottom shear experiment



- L/d = 2L/d = 3L/d = 4L/d =
- 2. 3D camera for a complete 2D surface profile determination. Simultaneous optical recording of surface images.

Granular "Weissenberg effect"?

Random packing of flat crosses

Setup





Random packings for aspect ratios $\rho = a/b$. 20 cm x 20 cm clips of photos after compaction



1.0

Preparation of random 2D packings:

- Place crosses loosely on a flat table, compactify the arrangement with a slider until the crosses give resistance.
- Take a photo and compress further with force. Take a second photo.



Packing fraction ϕ in 100 independent experiments, $\rho = 0.73$. o: first blockage, and •: fully compacted.

 $\rho = 0.25$

 ϕ for different aspect \rightarrow ratios. The solid line is the optimum crystalline packing.



Earlier findings for convex particles



X-ray CT slice of the cell center

r [cm]

shear zone and center

split-bottom container

Secondary flow: convection between

Heap formation in the center of the

Effect exists for oblate and prolate

grains, NOT for spherical particles





Figure 7. a) Maximum heap height h_{max} as a function of the relative fill height h_0/R_S for glass rods = 3.5), ω_0 = 5 rpm. b) Precession rate ω_p of the surface in the center as a func height h_0/R_S . The solid line represents a fit with the Gauss error function



- Heaping sensitively depends on container fill height, at optimum fill height it is fastest and most efficient
- Upon reversal of the rotation sense, the heap collapses and reappears in the same way as before

Spatial crosses under shear





Top view of the rotation center:

Spatial crosses with aspect

