



a Payload for Antimatter Matter Exploration
and Light-nuclei Astrophysics



PAMELA measurements of high energy cosmic ray positrons

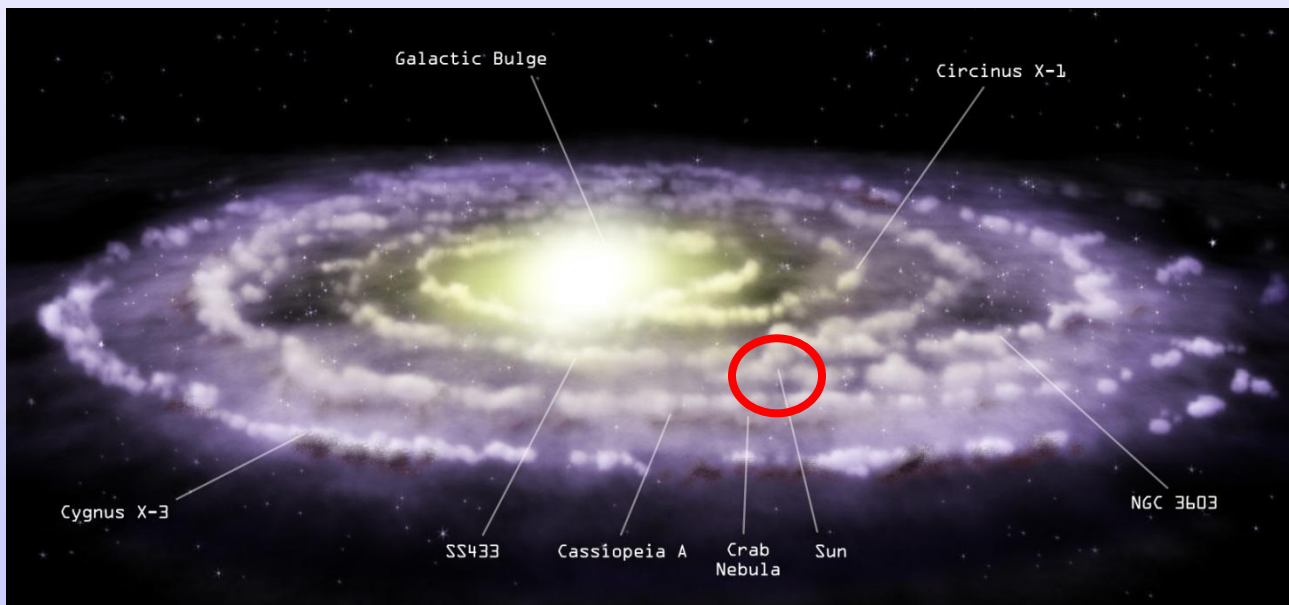
Laura Rossetto

PhD defence, June 11th 2012, Stockholm



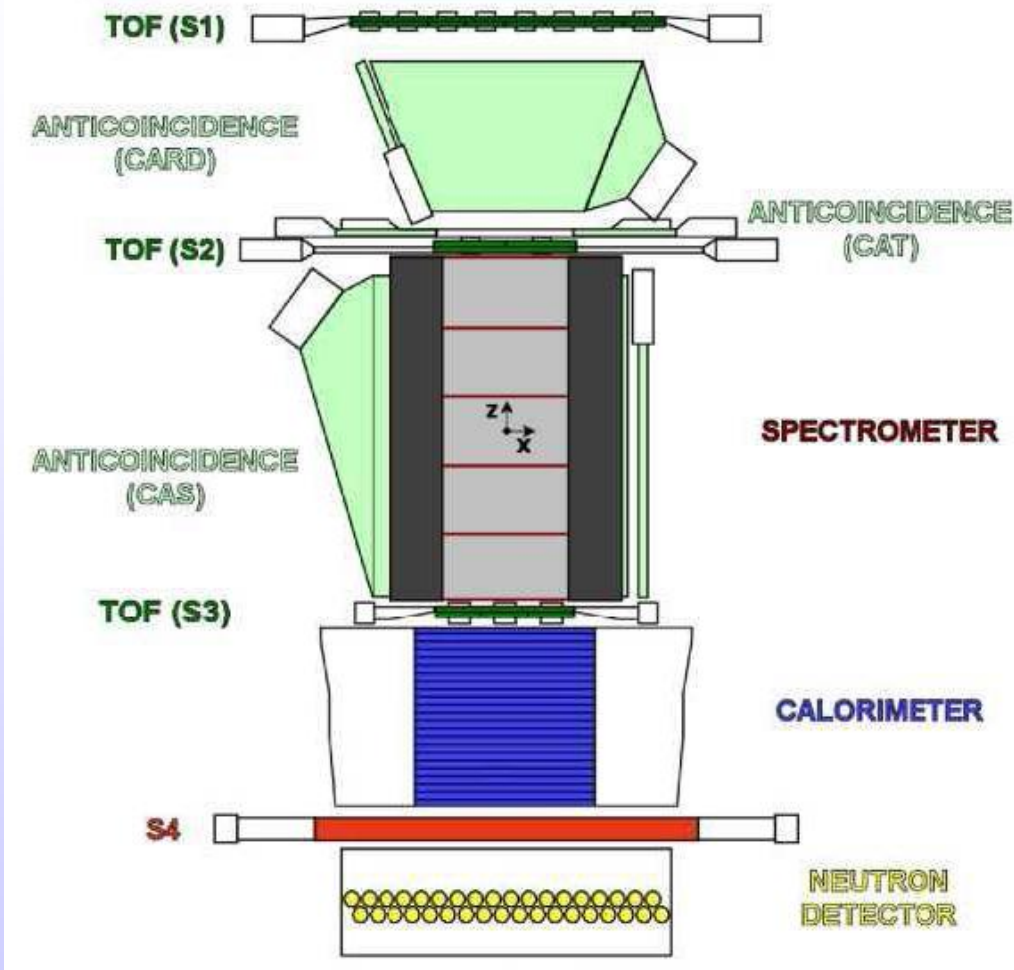
Cosmic ray positrons

- Electrons account for $\sim 2\%$ of the cosmic ray particles
 - \rightarrow electrons and positrons lose energy very efficiently as they propagate
 - \rightarrow they can probe acceleration and propagation mechanisms in a galactic region of ~ 1 kpc
- positrons are believed to be mainly secondary particles:
$$p + p \rightarrow \pi^{\pm}, K^{\pm}$$
$$\pi^{\pm} \rightarrow \mu^{\pm} + \nu_{\mu} \rightarrow e^{\pm} + \nu_e$$
$$K^{\pm} \rightarrow \mu^{\pm} + \nu_{\mu}, \pi^0 + \pi^{\pm}$$





The PAMELA experiment

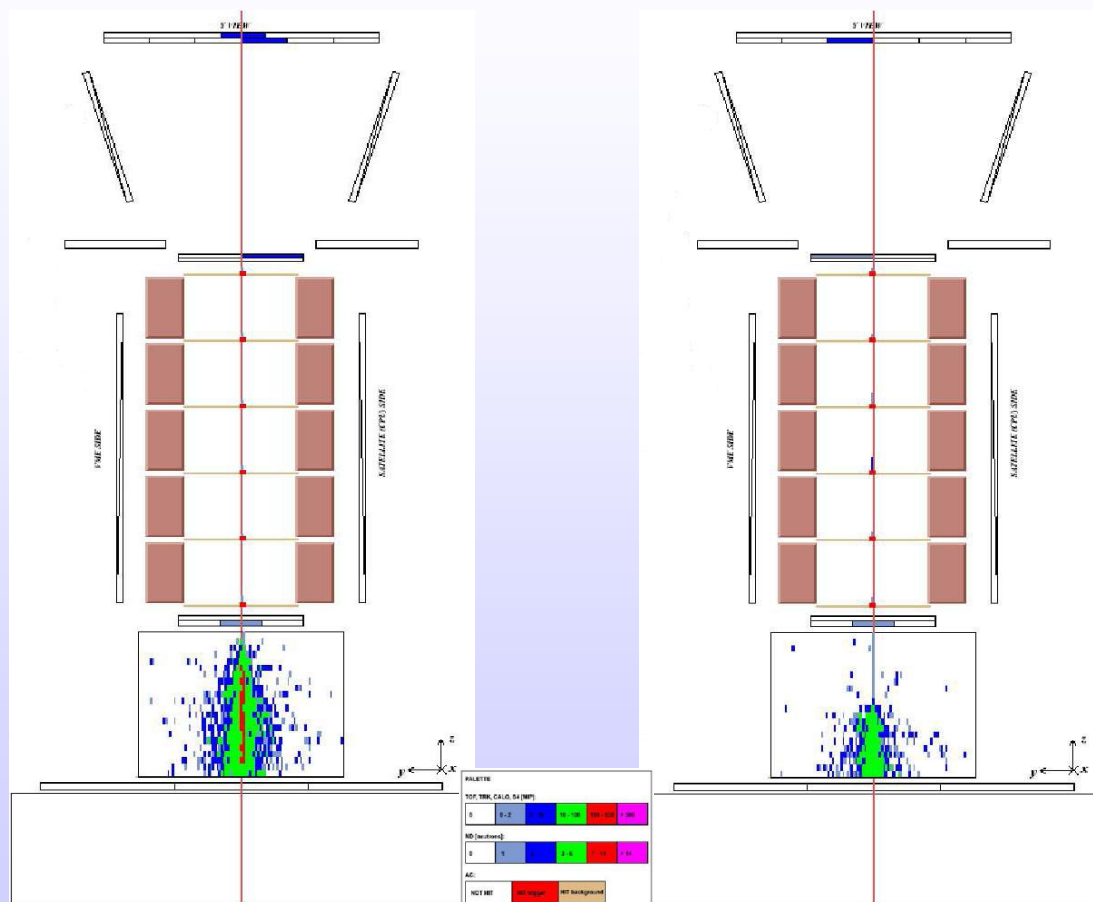


P. Picozza et al., 2007, Astrop. Phys., 27

- Launch: 15th June 2006
- height of ~ 1.3 m
- mass of 470 kg
- time-of-flight system
- magnetic spectrometer
- electromagnetic calorimeter
- neutron detector
- anticoincidence system
- **electromagnetic calorimeter**
 - 44 silicon sensor planes (x-y) interleaved with 22 tungsten planes
 - total depth = $16.3 X_0 \sim 0.6 \lambda$
 - lepton – hadron separation



Electromagnetic and hadronic showers



100 GeV positron

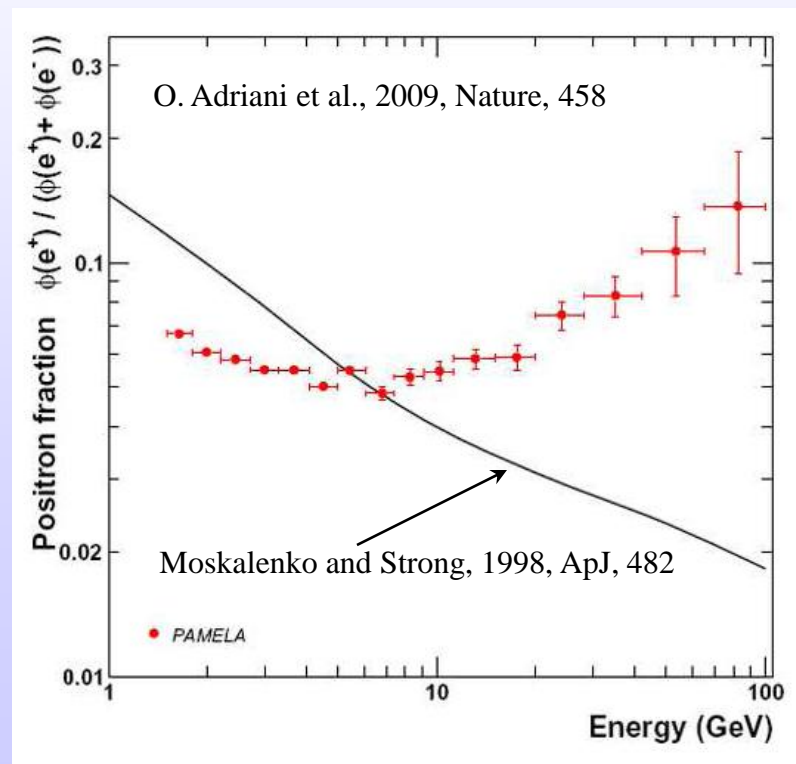
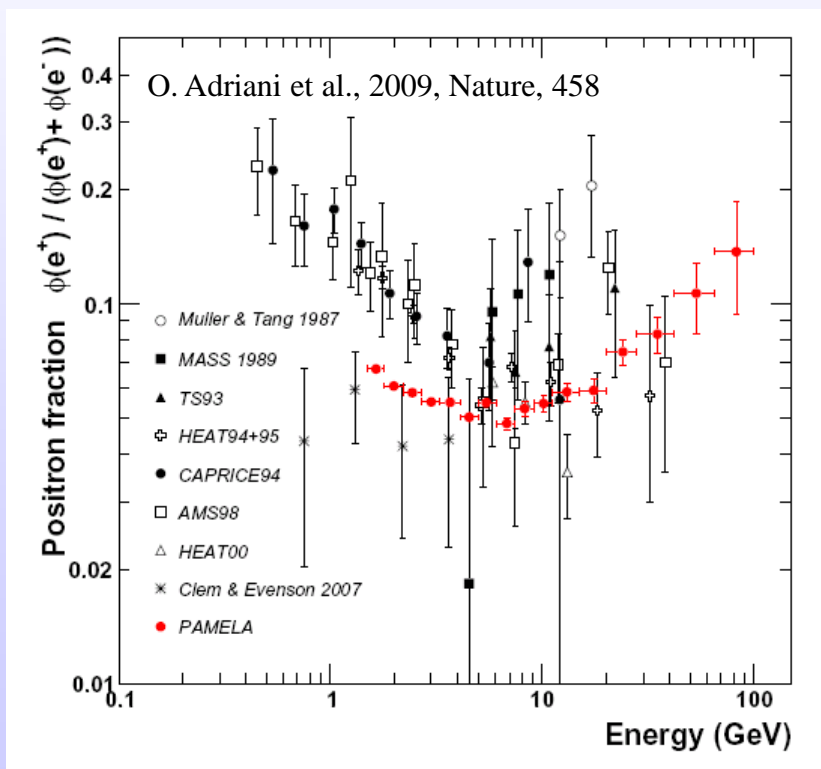
100 GeV proton

- **electromagnetic showers**
 - characterised by a pronounced central core surrounded by a halo
- **hadronic showers**
 - broader
 - any maximum lies deeper in the calorimeter for a given incident energy
 - **electromagnetic component induced by π^0**



PAMELA positron fraction

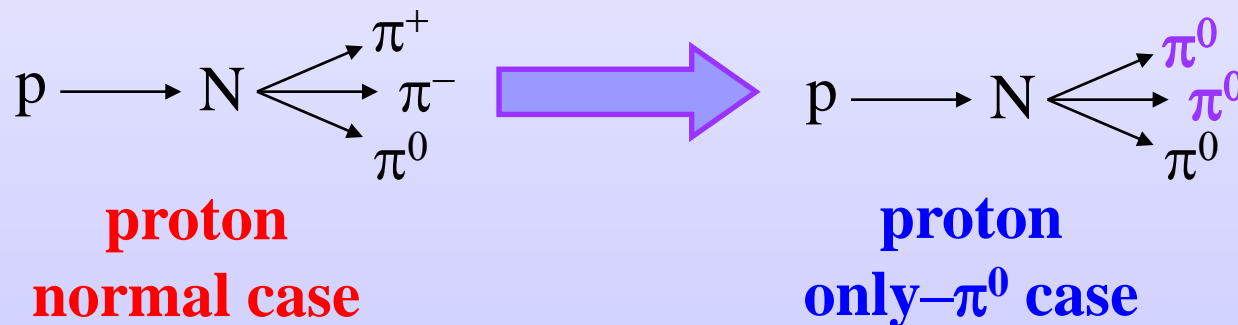
- Positron fraction measured between **1.5 GeV** and **100 GeV**
- result based on the data collected between July 2006 and February 2008 (total acquisition time of ~ 500 days)





Simulation studies of π^0 contamination

- Study the π^0 produced in hadronic showers within the context of the positron analysis
- the study has been performed using Geant3 simulations
→ the number of π^0 has been artificially increased by changing **every π^\pm** produced into **π^0**
(without modifying the cross section of protons!!)

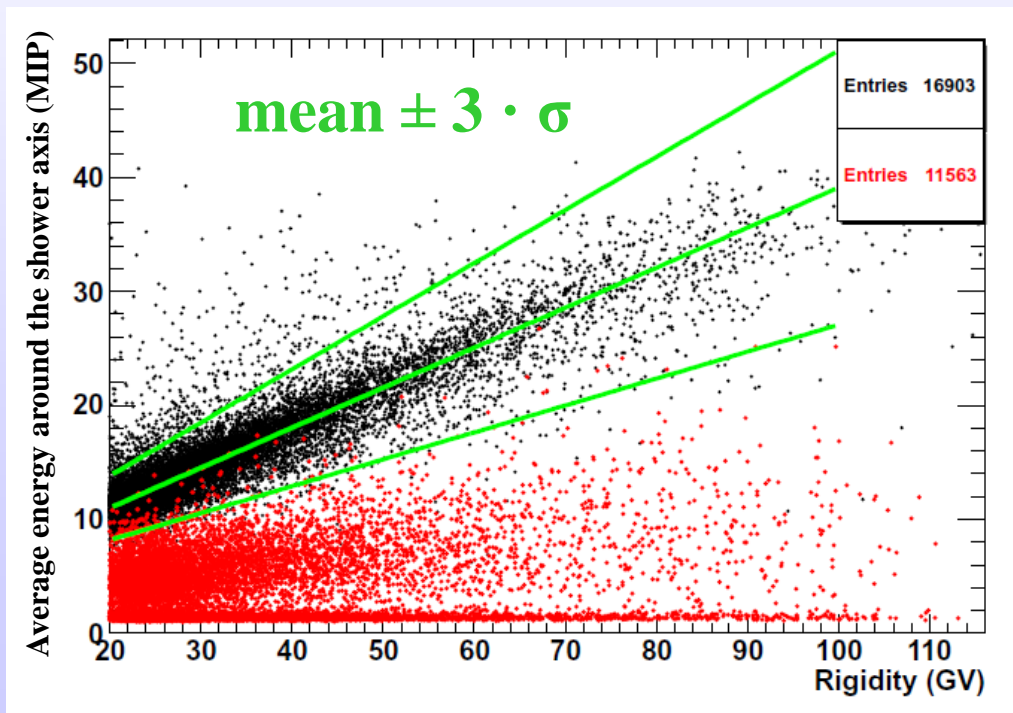


- simulations in the range **20 – 100 GeV** and **100 – 300 GeV**



A new approach for positron identification

- Study distributions of shower profile variables as function of the rigidity
 - identify what variables permit an efficient discrimination between positrons and protons



simulated
positrons

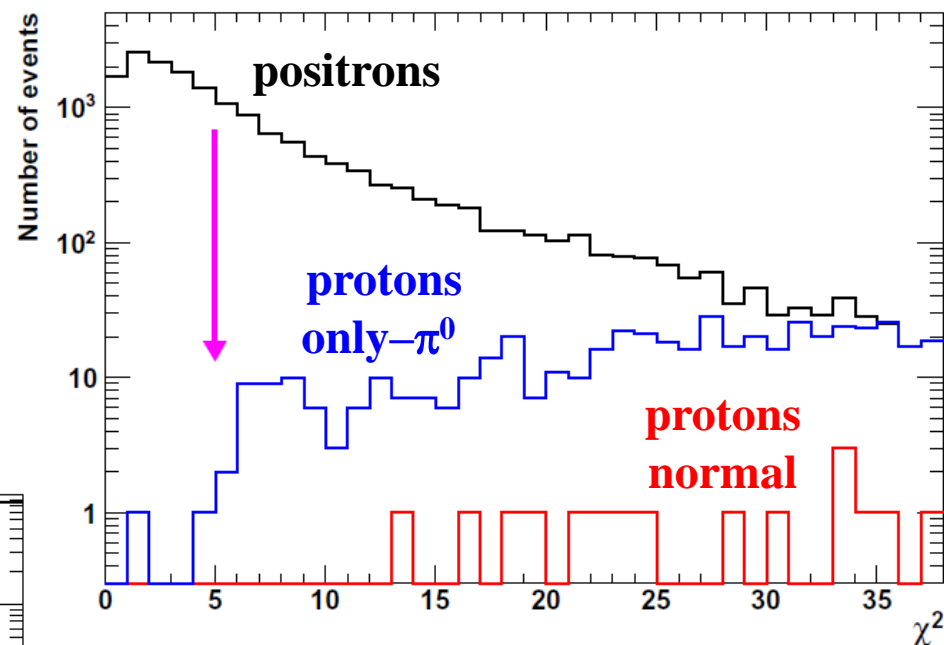
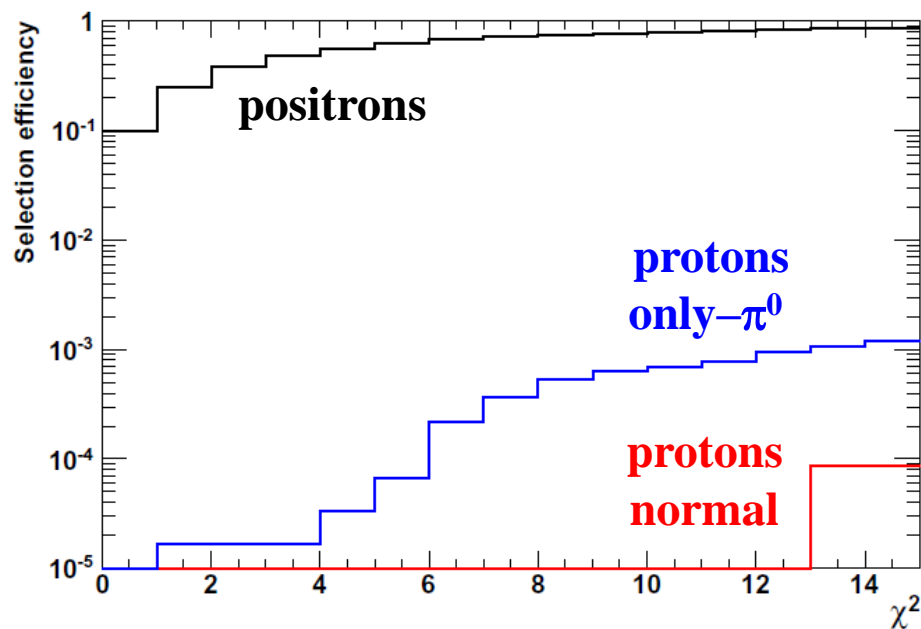
simulated
protons

→ χ^2 method



Analysis in the energy range 20 – 100 GeV

χ^2 constructed using 6
shower profile variables



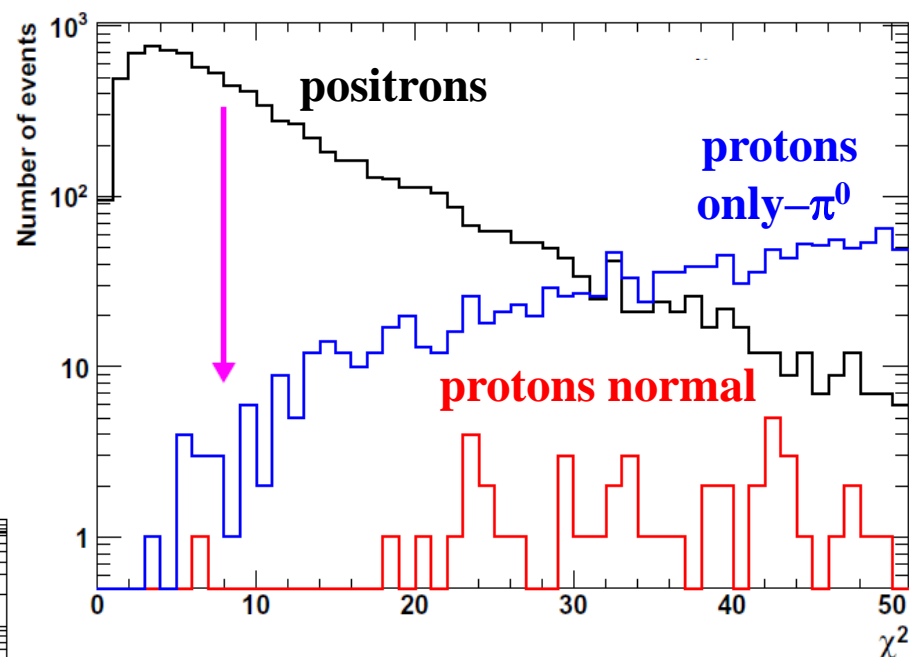
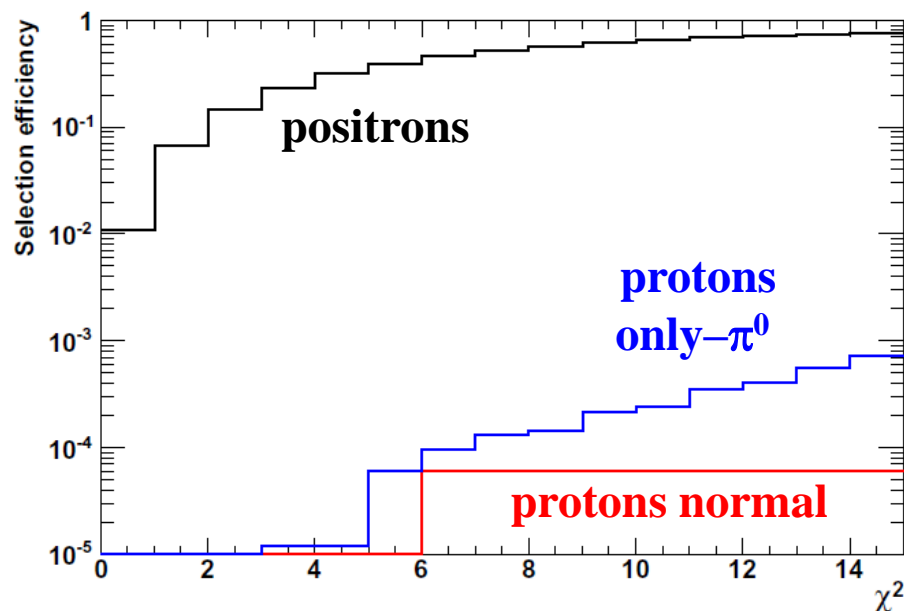
$$\chi^2 < 5$$

- positron selection efficiency $\sim 57\%$
- proton contamination of order of 10^{-5}



Analysis in the energy range 100 – 300 GeV

χ^2 constructed using 8 shower profile variables



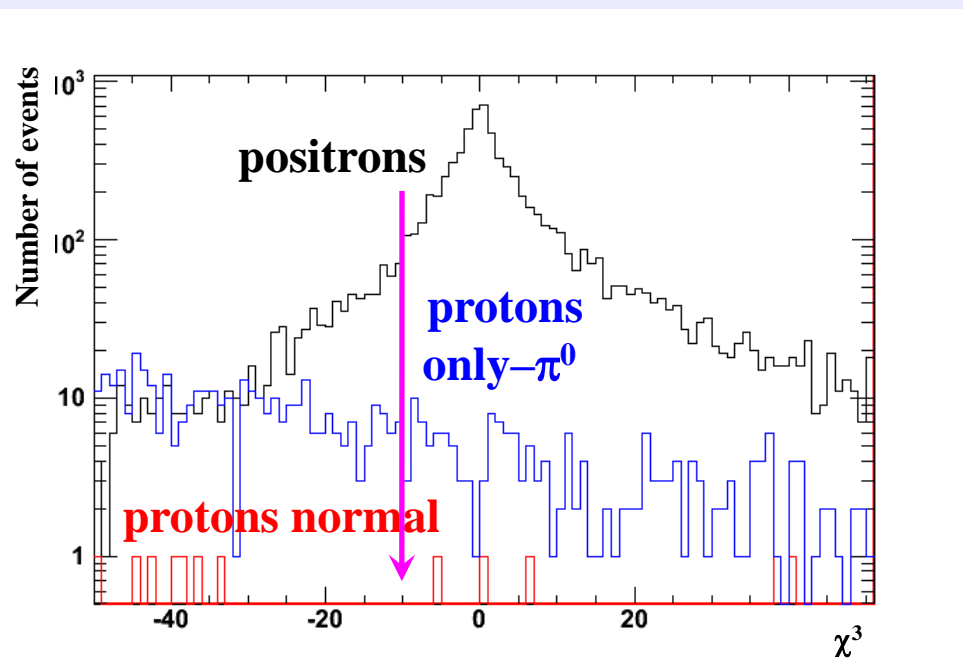
$$\chi^2 < 8$$

- positron selection efficiency ~ 52%
- proton contamination of order of 10^{-4}



Analysis in the energy range 100 – 300 GeV

$$\chi^3 = \sum_{i=1}^n \chi_{\text{variable}[i]}^3 = \sum_{i=1}^n \frac{\left(\text{variable}[i] - \overline{\text{variable}[i]} \right)^3}{\sigma_{\text{variable}[i]}^3}$$



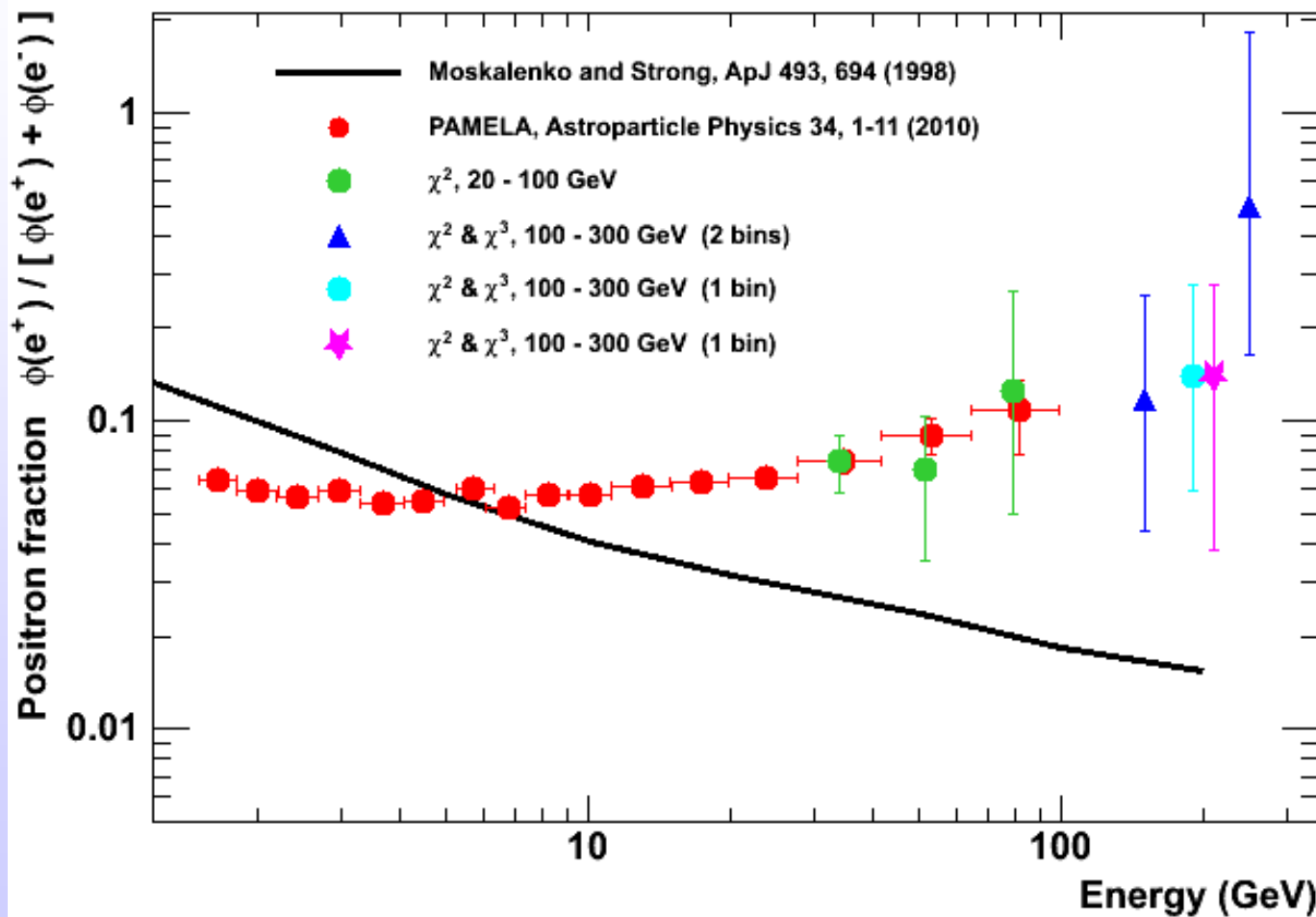
χ^3 constructed using 3 shower profile variables

$$\chi^3 > -10$$

- positron selection efficiency ~ **50%**
- proton contamination of order of **10^{-4}**



Positron fraction





Multivariate analysis approach

- As a cross-check to the results obtained with the χ^2 method, a multivariate approach has also been applied to flight data in the energy range **100 – 300 GeV**
- the MultiLayers Perceptron (MLP) neural network has been used
 - the training process has been applied to the **signal** sample (**simulated positrons**) and to the **background** sample (**simulated protons** in the **only- π^0** case)
 - the resulting weights have been applied to simulations and to flight data



Multivariate analysis approach

100 – 300 GeV

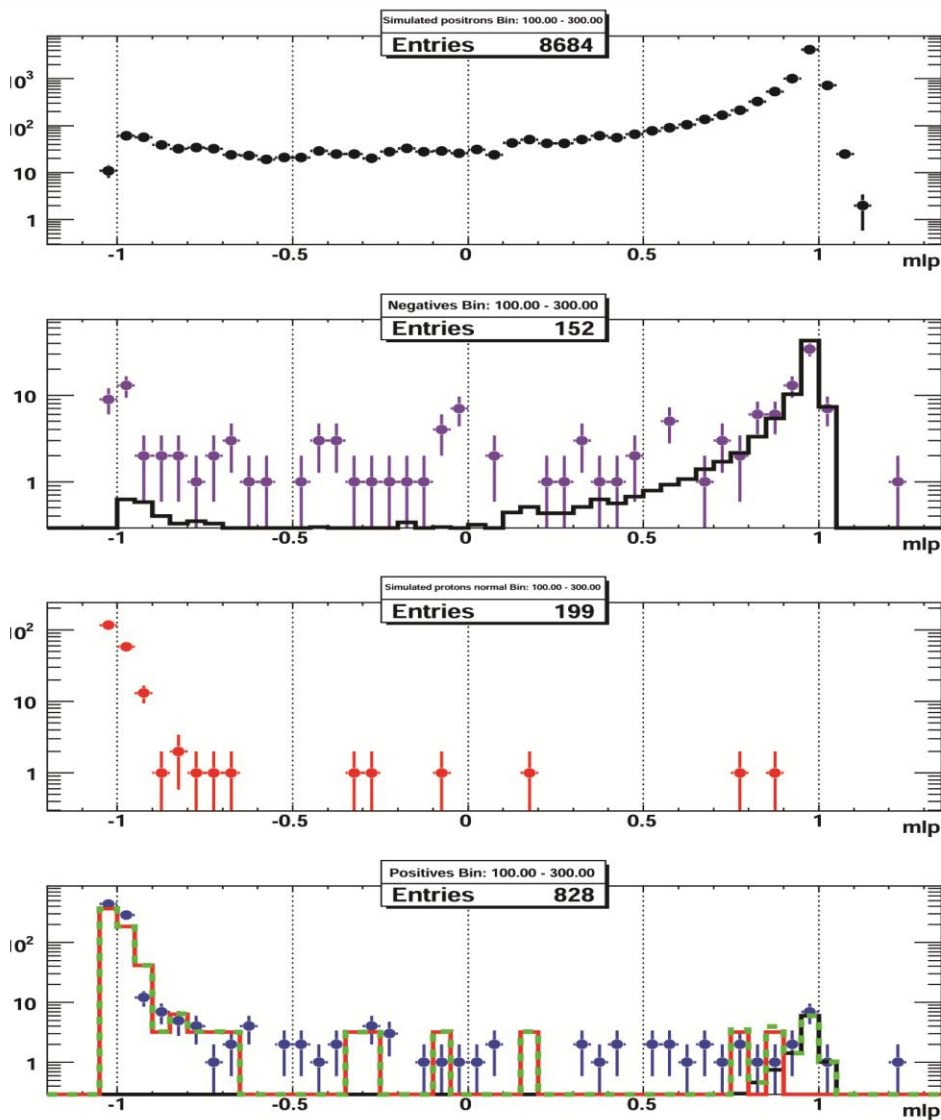
simulated positrons

negatively charged
particles in flight data

simulated protons

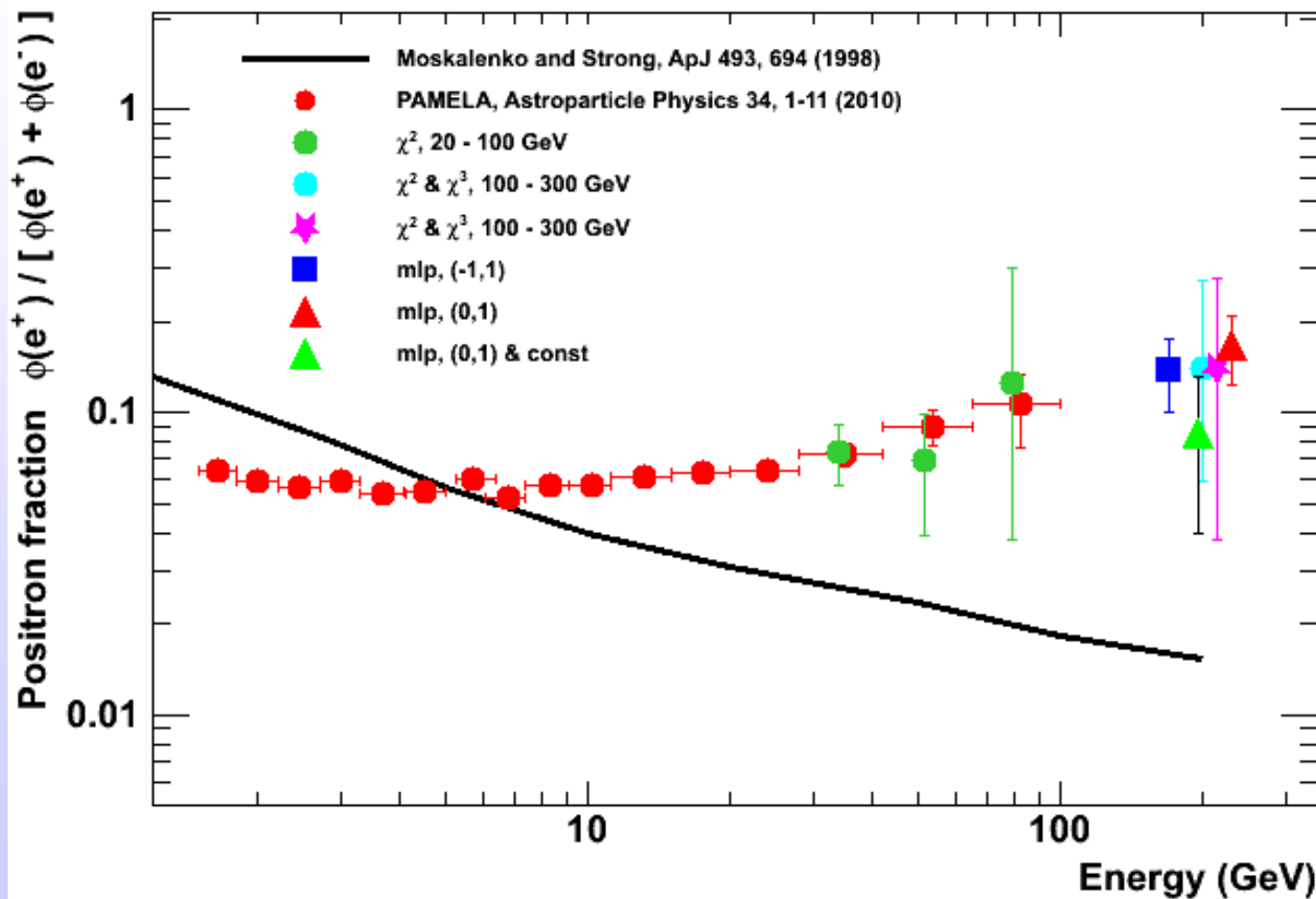
positively charged
particles in flight data

Number of events





Positron fraction





Positron flux

- The number of positron events selected using the χ^2 method have been also used to evaluate the **positron flux**

$$\Phi (E) = \frac{N (E)}{\varepsilon (E)} \cdot \frac{1}{T_{\text{live}} \cdot G (E) \cdot \Delta (E)}$$

$N (E) \rightarrow$ number of particles

$\varepsilon (E) \rightarrow$ total efficiency

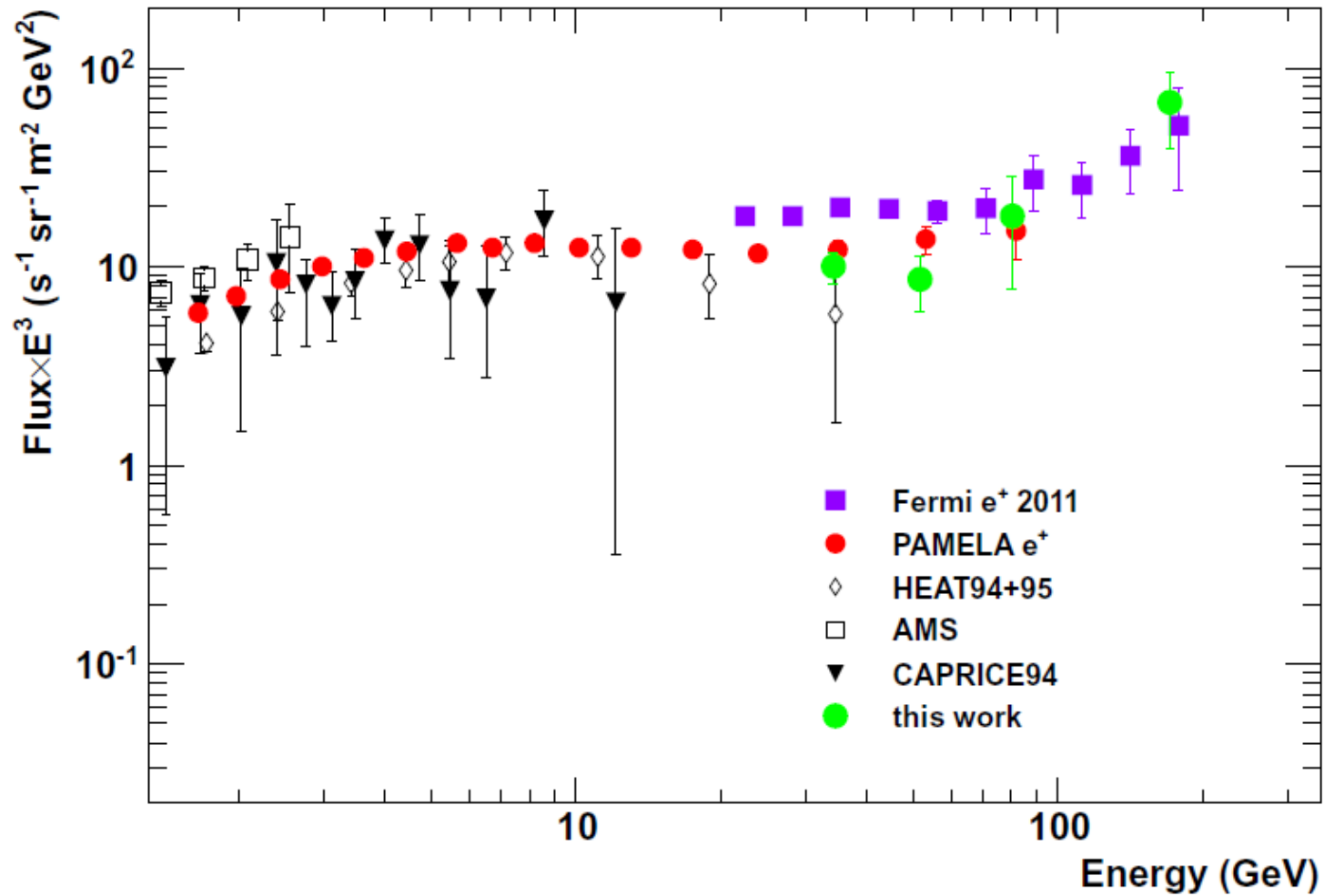
$T_{\text{live}} \rightarrow$ live time

$G (E) \rightarrow$ geometrical factor

$\Delta (E) \rightarrow$ width of the energy bin

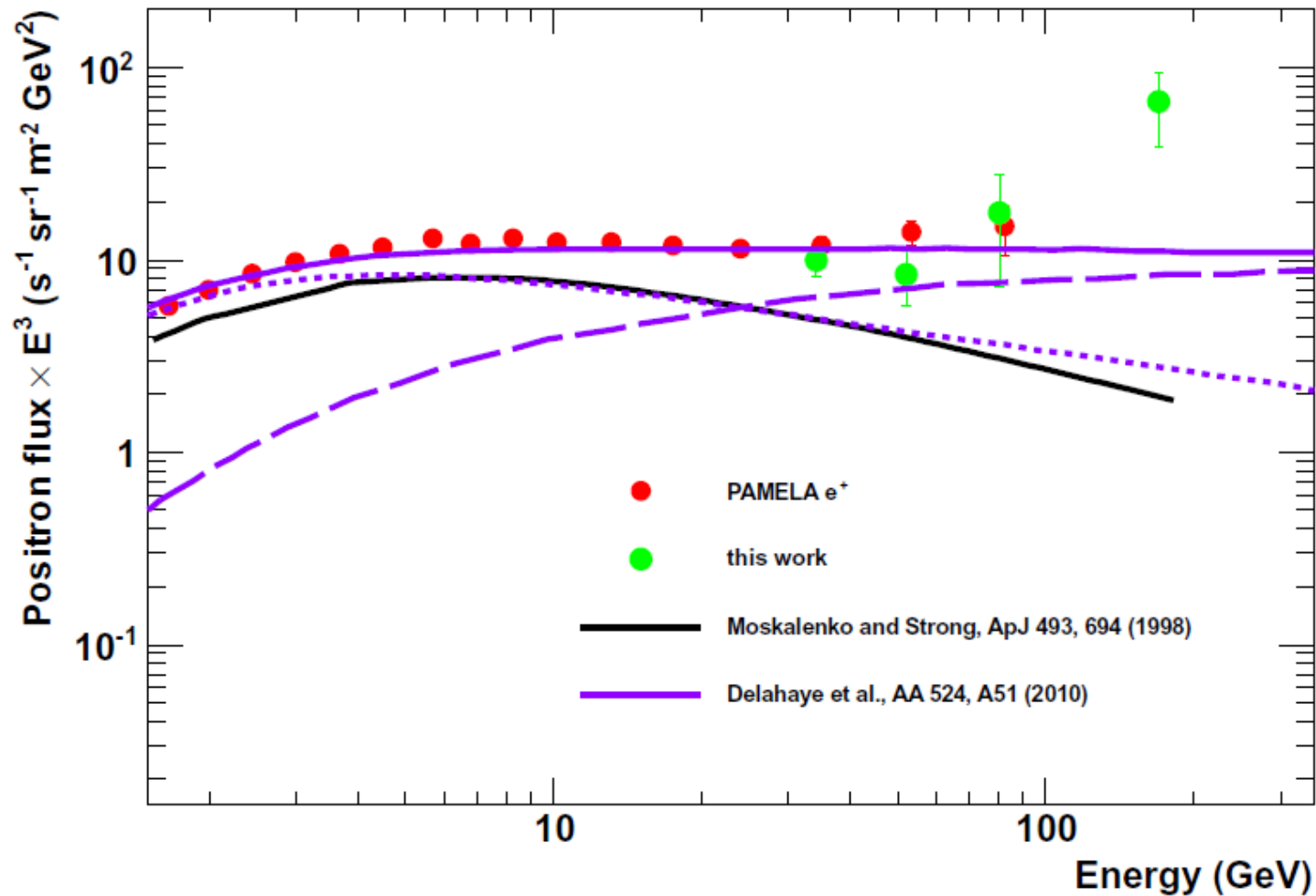


Positron flux





Positron flux





Conclusions

- A method which uses shower profile variables in the calorimeter has been tested on simulations in two energy ranges (**20 – 100 GeV** and **100 – 300 GeV**)
- a possible neutral pion contamination of hadronic showers has also been studied
- this method has been then applied to flight data
 - the rise of the positron fraction has been confirmed
 - the **positron fraction** and the **positron flux** have been evaluated up to **~ 300 GeV**
- new experimental data are needed (e.g. AMS-02)



Thank you!!!



a **P**ayload for **A**ntimatter **M**atter **E**xploration
and **L**ight-nuclei **A**strophysics

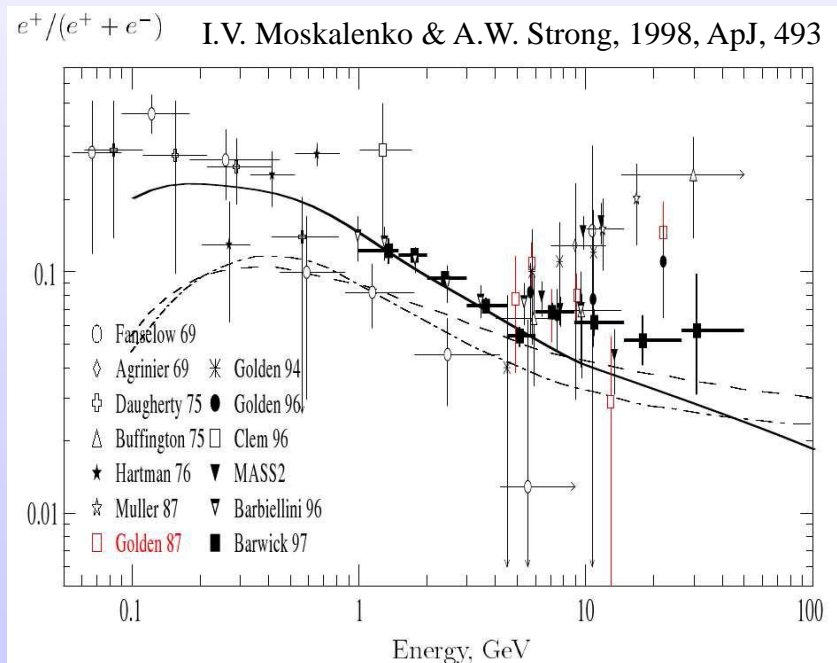


SPARES!



Cosmic ray positrons

- Electrons account for $\sim 2\%$ of the cosmic ray particles
 \rightarrow positrons can probe acceleration and propagation mechanisms in a galactic region of ~ 1 kpc (synchrotron radiation, inverse Compton scattering)
- positrons are believed to be mainly secondary particles: $p + p \rightarrow \pi^\pm, K^\pm$
 $\pi^\pm \rightarrow \mu^\pm + \nu_\mu \rightarrow e^\pm + \nu_e$
 $K^\pm \rightarrow \mu^\pm + \nu_\mu, \pi^0 + \pi^\pm$



— pure secondary production
without reacceleration

— · — leaky-box model

— — diffusion model



A new approach for positron identification

- Study distributions of shower profile variables as function of the rigidity
 - identify what variables permit an efficient discrimination between positrons and protons
- construct the χ^2 variable

$$\chi^2 = \sum_{i=1}^n \chi_{\text{variable}[i]}^2 = \sum_{i=1}^n \frac{\left(\text{variable}[i] - \overline{\text{variable}[i]} \right)^2}{\sigma_{\text{variable}[i]}^2}$$

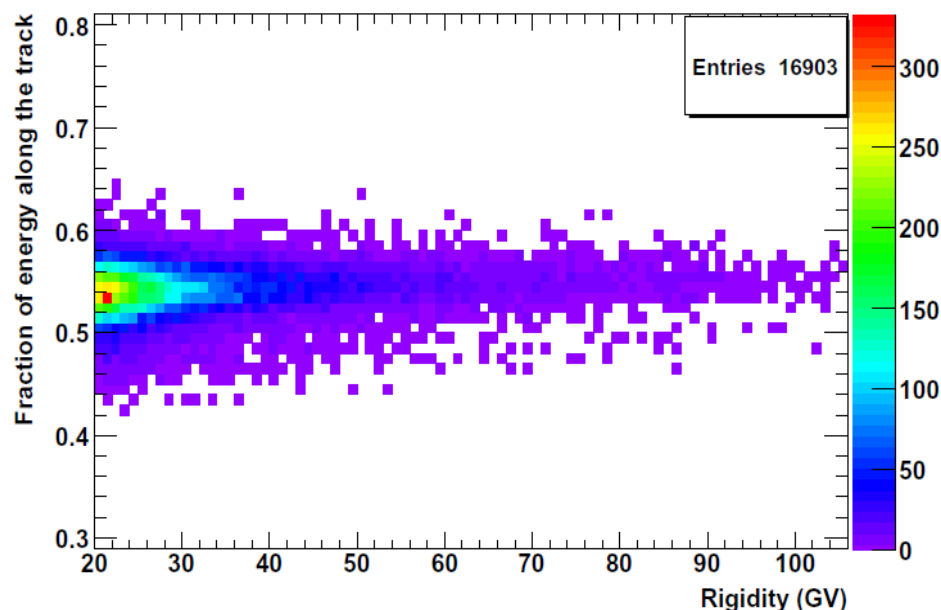
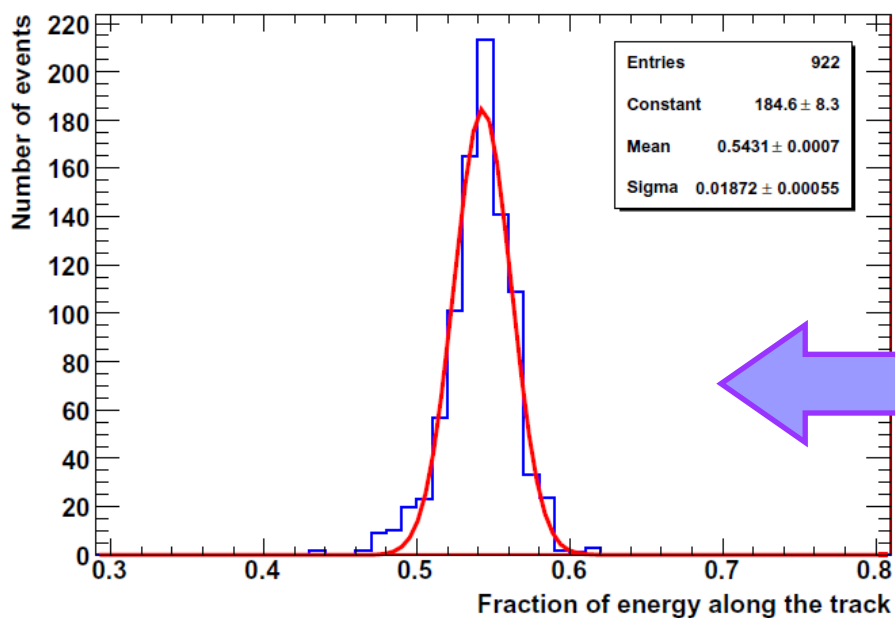
→ **mean** and **standard deviation** have been tuned on the **simulated positron sample**



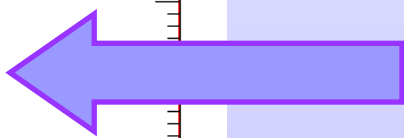
A new approach for positron identification

Simulated positrons

20 – 100 GeV



distribution in the rigidity
interval (30 – 32) GV

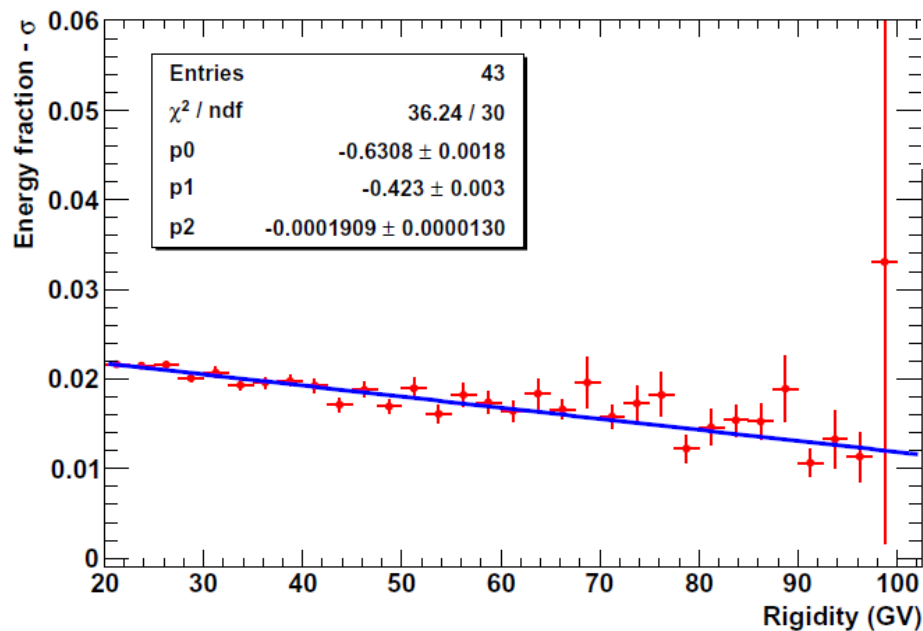
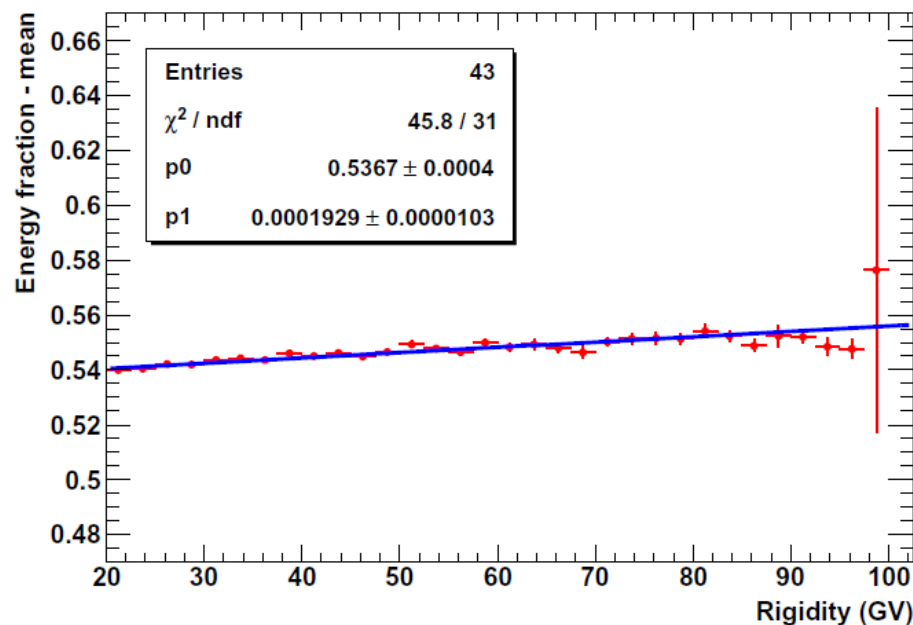




A new approach for positron identification

Simulated positrons

20 – 100 GeV

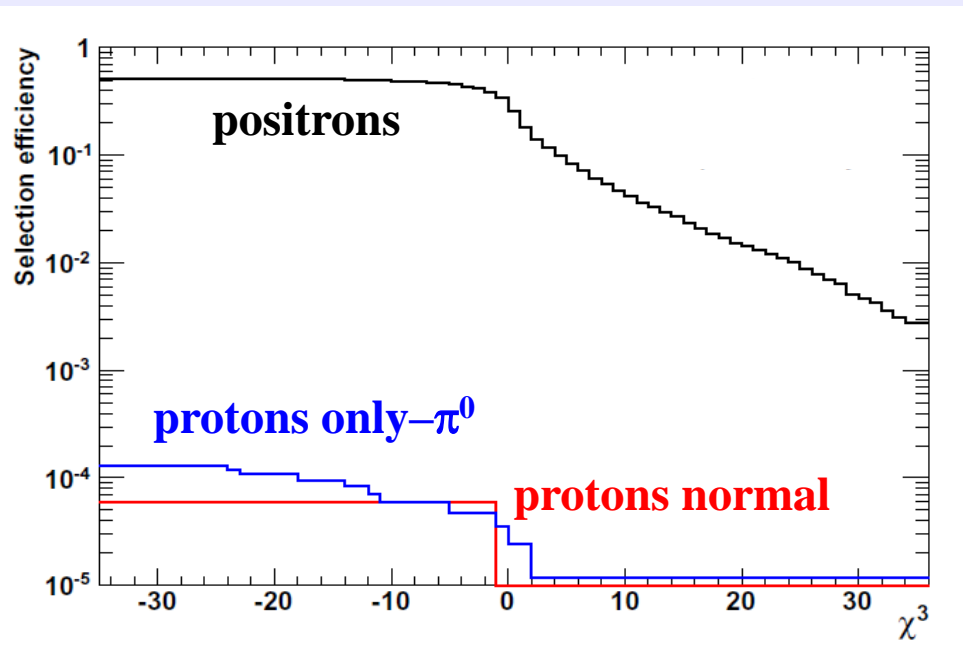
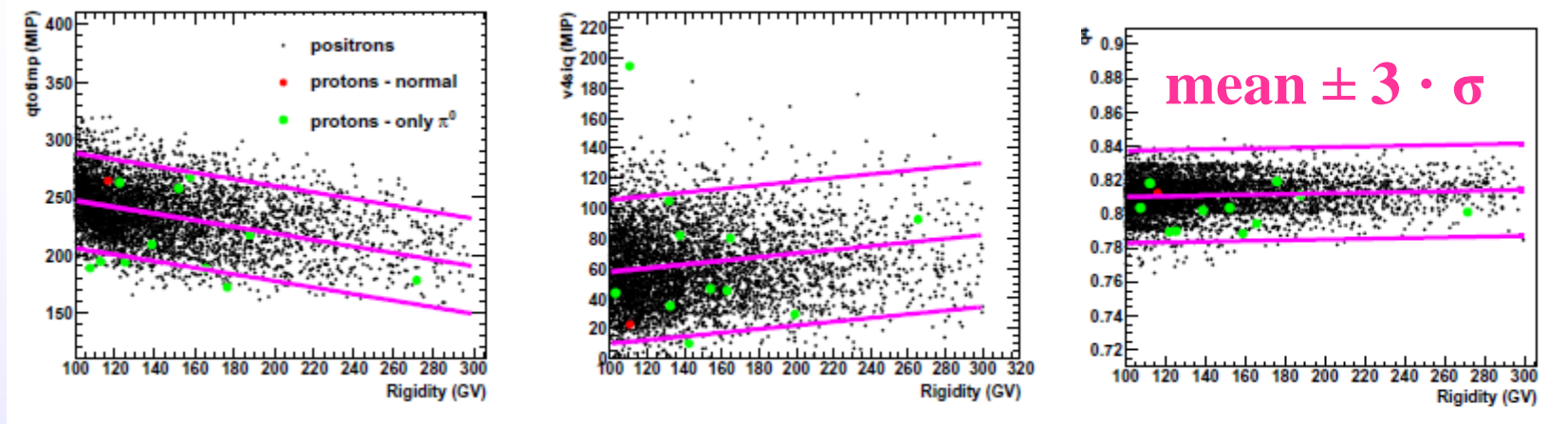


$$\text{mean} = 0.5367 + 0.0001929 \cdot R$$

$$\sigma = -0.6308 + e^{-0.423 - 0.0001909 \cdot R}$$



Analysis in the energy range 100 – 300 GeV



χ^3 constructed using 3 shower profile variables

$$\chi^3 > -10$$

- positron selection efficiency $\sim 50\%$
- proton contamination of order of 10^{-4} (**normal** and **only- π^0** case)

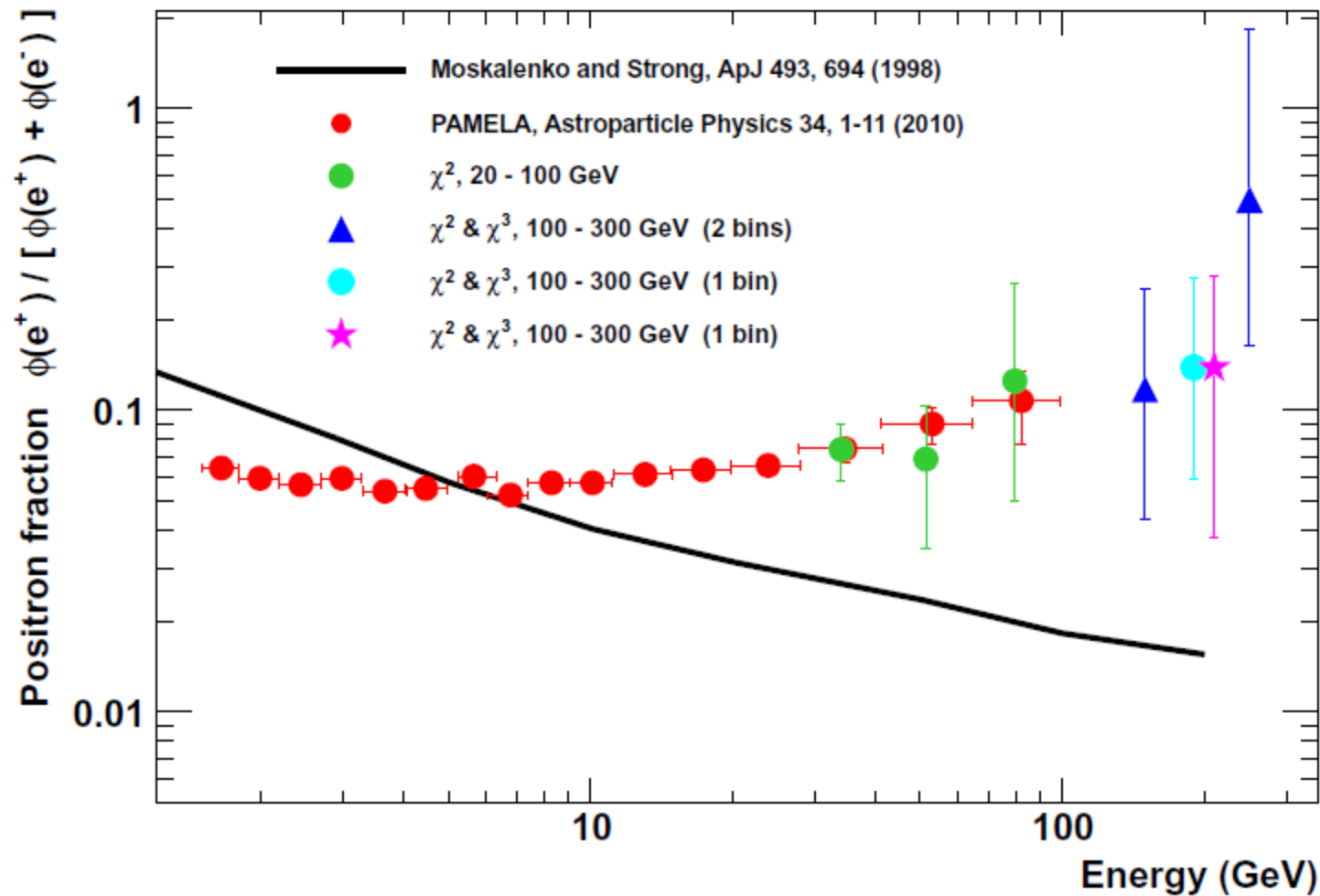


Positron fraction

- Method tested on simulations in the energy ranges **20 – 100 GeV** and **100 – 300 GeV**
 - applied to the flight data set collected between July 2006 – January 2010 (~ 1200 days)
- in the energy range **100 – 300 GeV** the positron fraction is dependent on the selection on the χ^3 variable
 - a possible proton contamination needs to be estimated



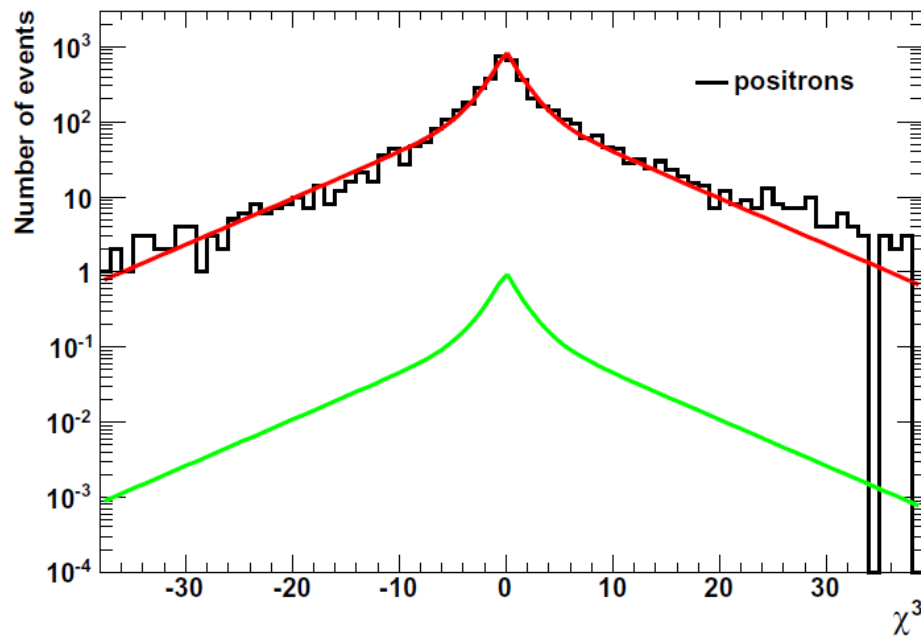
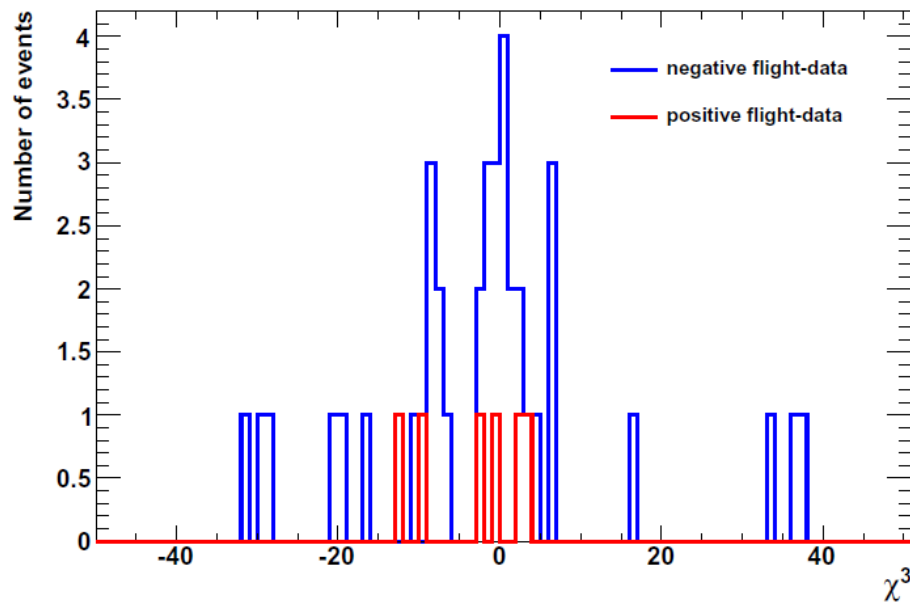
Positron fraction





Positron fraction

How is it possible to estimate the proton contamination?



100 – 300 GeV



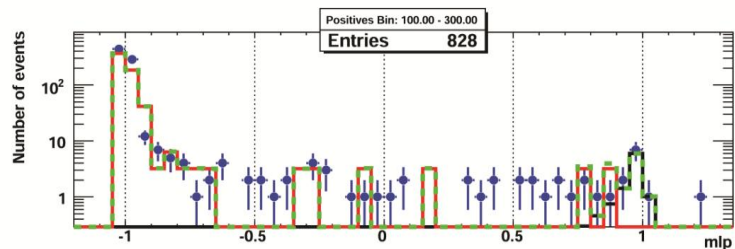
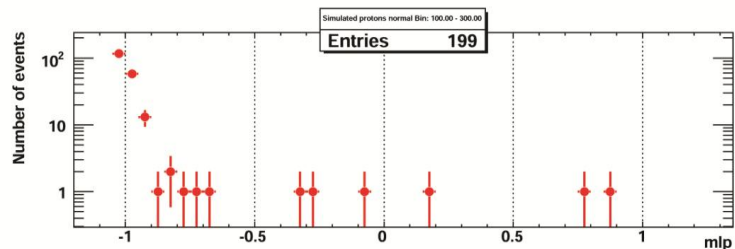
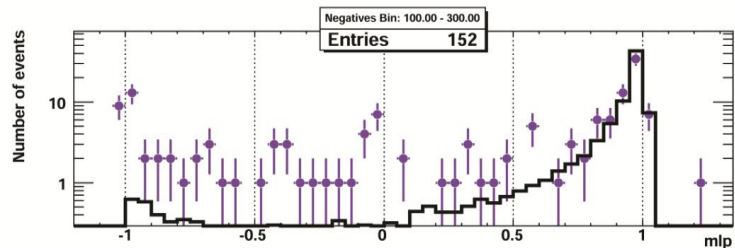
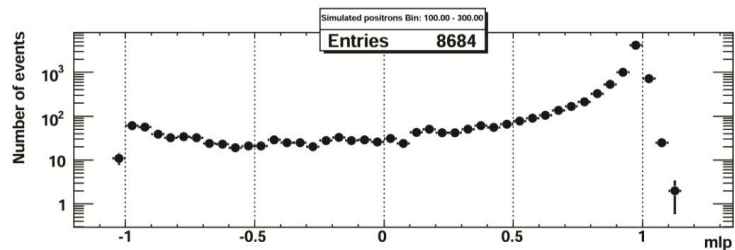
Positron fraction

Rigidity (GV)	N_{e^+}	N_{e^-}	e^- selection efficiency	$N_{e^+} / (N_{e^+} + N_{e^-})$
28 – 42	47	587	38.9 %	0.074 ± 0.017
42 – 65	11	148	23.1 %	0.069 ± 0.030
65 – 100	3	21	7.5 %	$0.125^{+0.177}_{-0.087}$

Rigidity (GV)	N_{e^+}	N_{e^-}	e^- selection efficiency	$N_{e^+} / (N_{e^+} + N_{e^-})$
100 – 200	4	30	10.6 %	$0.118^{+0.137}_{-0.074}$
200 – 300	1	1	0.5 %	$0.500^{+1.322}_{-0.336}$
100 – 300	5	31	6.6 %	$0.139^{+0.136}_{-0.080} (stat.)$
100 – 300	5	31	6.6 %	$0.139^{+0.136}_{-0.120} (stat.+syst.)$
100 – 300	$6.1^{+6.9}_{-4.9}$	38	8.1 %	$0.138^{+0.138}_{-0.101}$



Multivariate analysis approach



Fit range	N_{e+}	N_{e-}	$N_{e+} / (N_{e+} + N_{e-})$
$[-1, 1]$	13.7 ± 4.1	85.8 ± 8.8	0.138 ± 0.037
$[0, 1]$	16.2 ± 4.7	81.4 ± 8.5	0.166 ± 0.043
$[0, 0.7]$ with constant	6.3 ± 3.7	66.2 ± 6.2	0.087 ± 0.047
χ^2 and χ^3 method	5	31	$0.139 \pm_{-0.080}^{+0.136} (stat.)$
χ^2 and χ^3 method	$6.1 \pm_{-4.9}^{+6.9}$	38	$0.138 \pm_{-0.101}^{+0.138}$



Positron fraction

